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# Переход к формализму ОТО

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ИТЭФ, ГАИШ, НГУ

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Physics, Moscow*

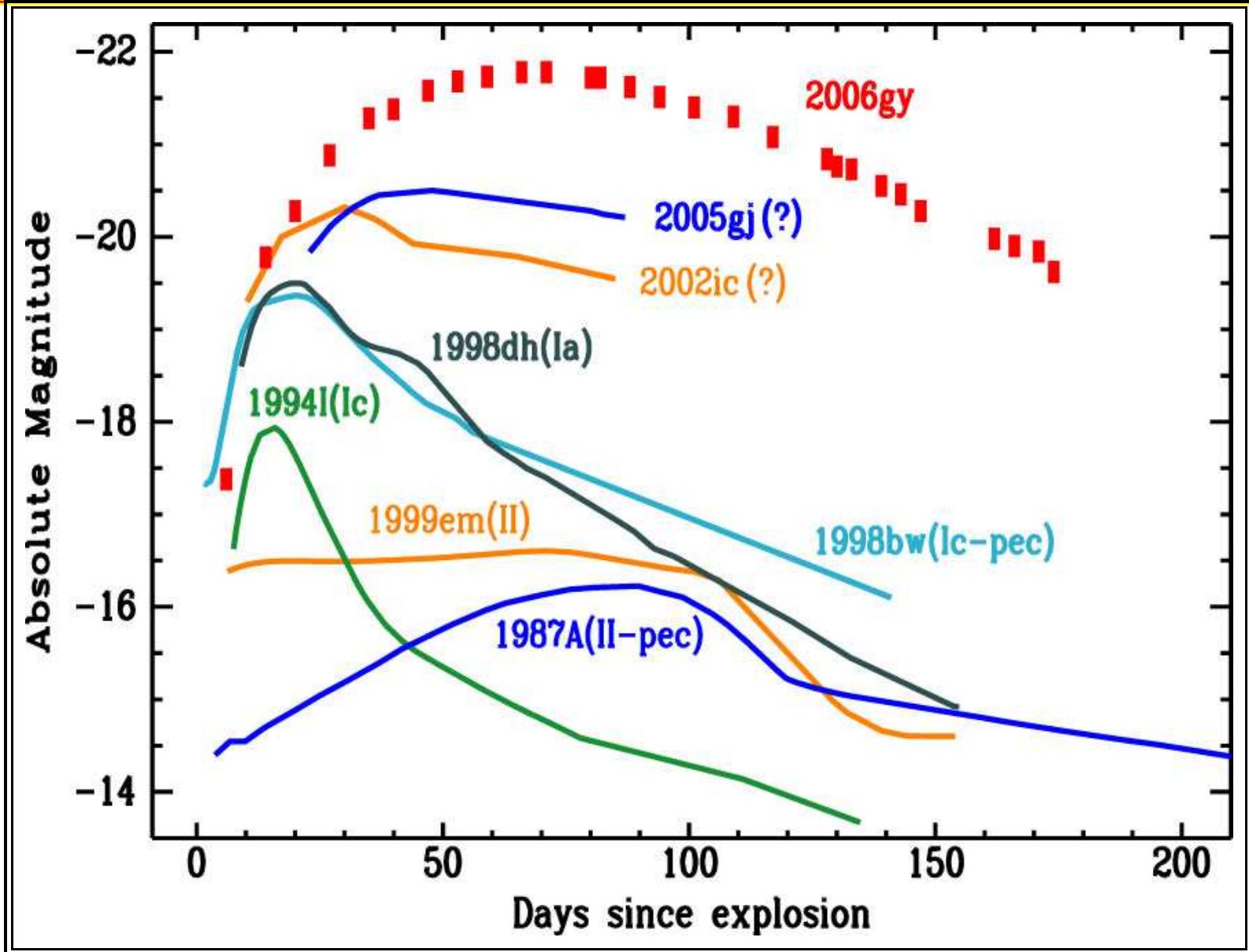


<sup>2</sup> ГАИШ = SAI = *Sternberg  
Astronomical  
Institute, Moscow*



НГУ 29 сентября 2012

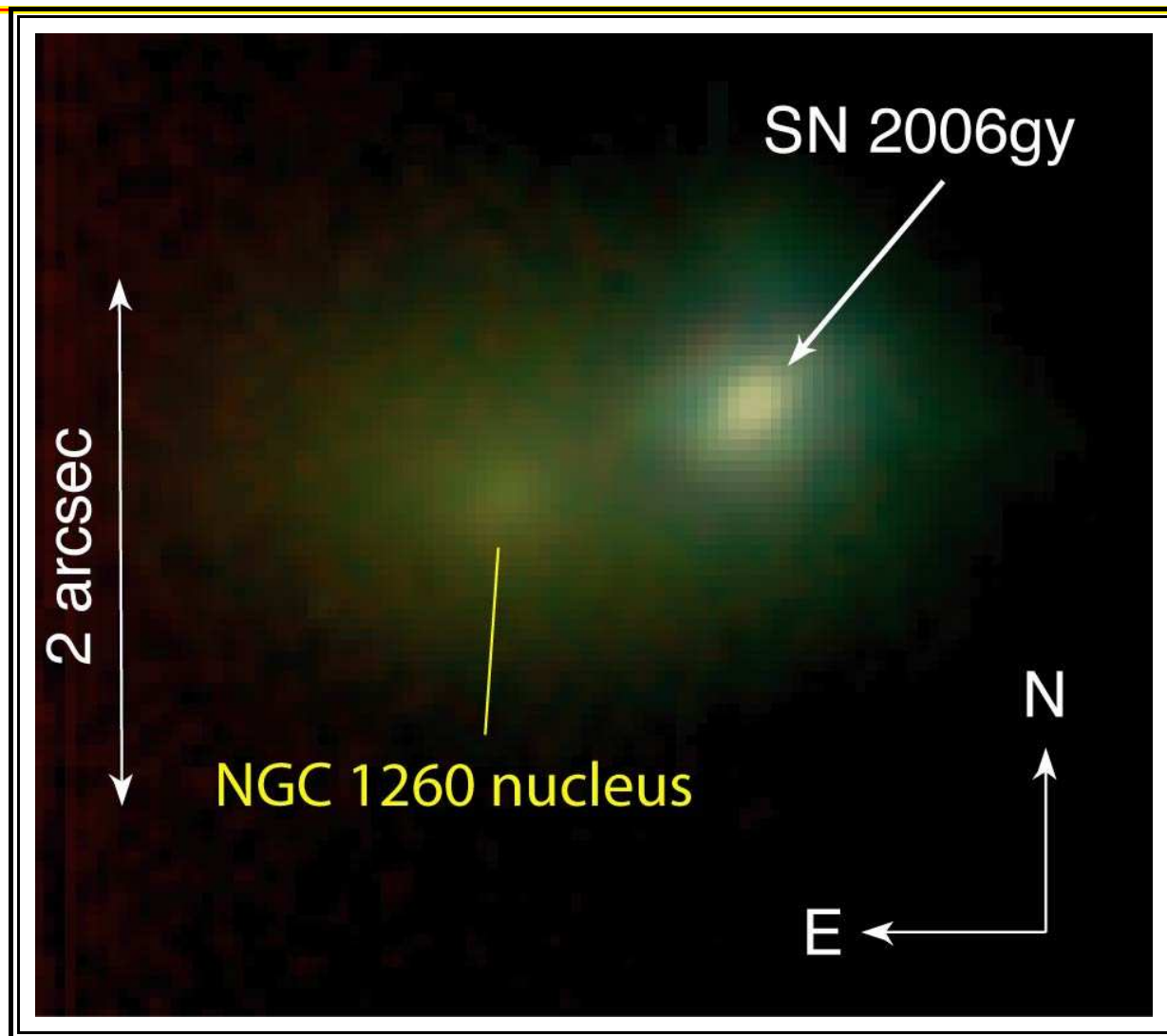
# Most Luminous SNe



# SN 2006gy – сверхмощная сверхновая

Ofek et al. 2007, ApJL, astro-ph/0612408)

Smith et al. 2007, Sep. 10 ApJ, astro-ph/0612617)



# Тёмная энергия Dark Energy (DE)

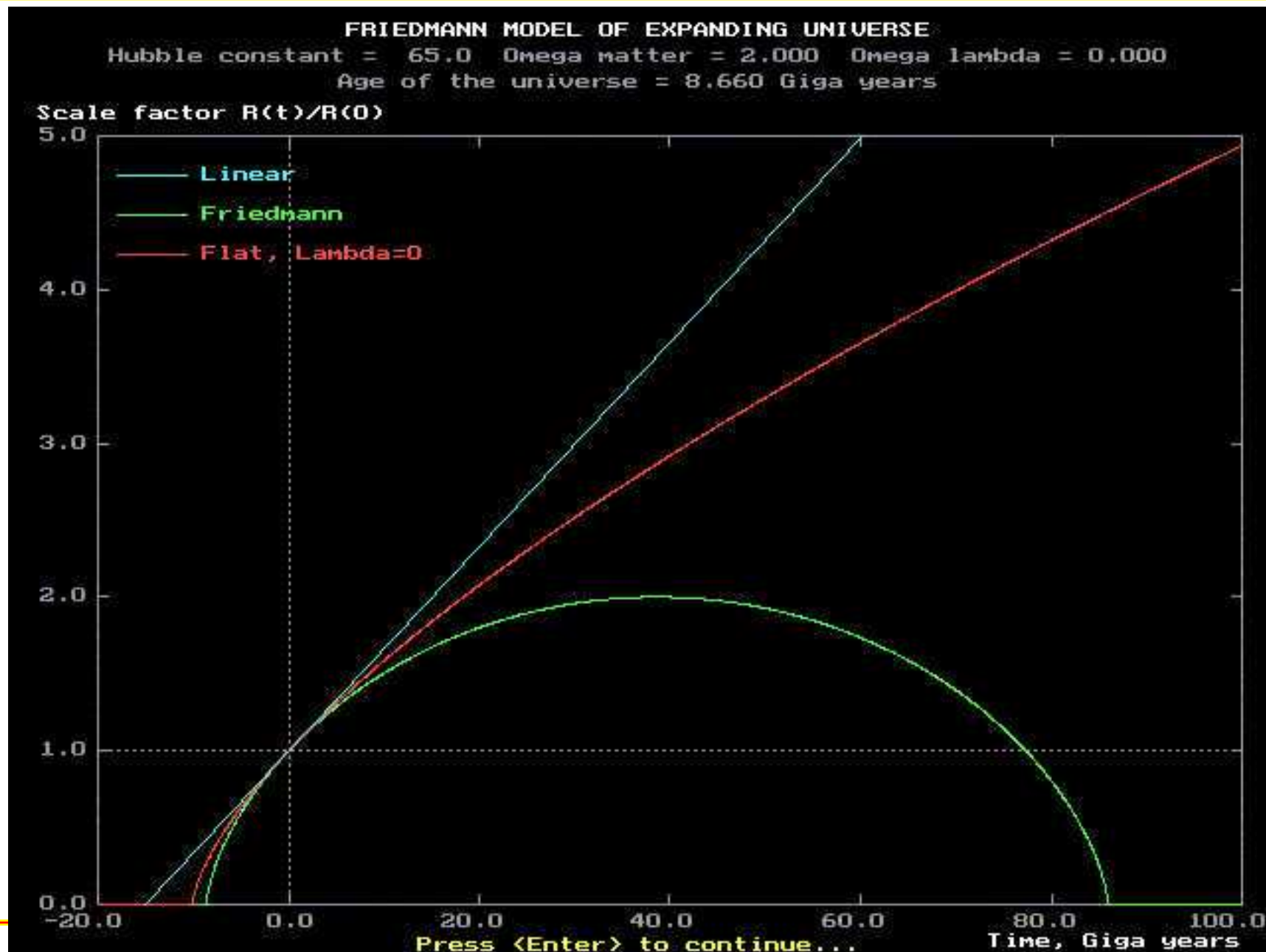
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## Что такое Тёмная энергия?

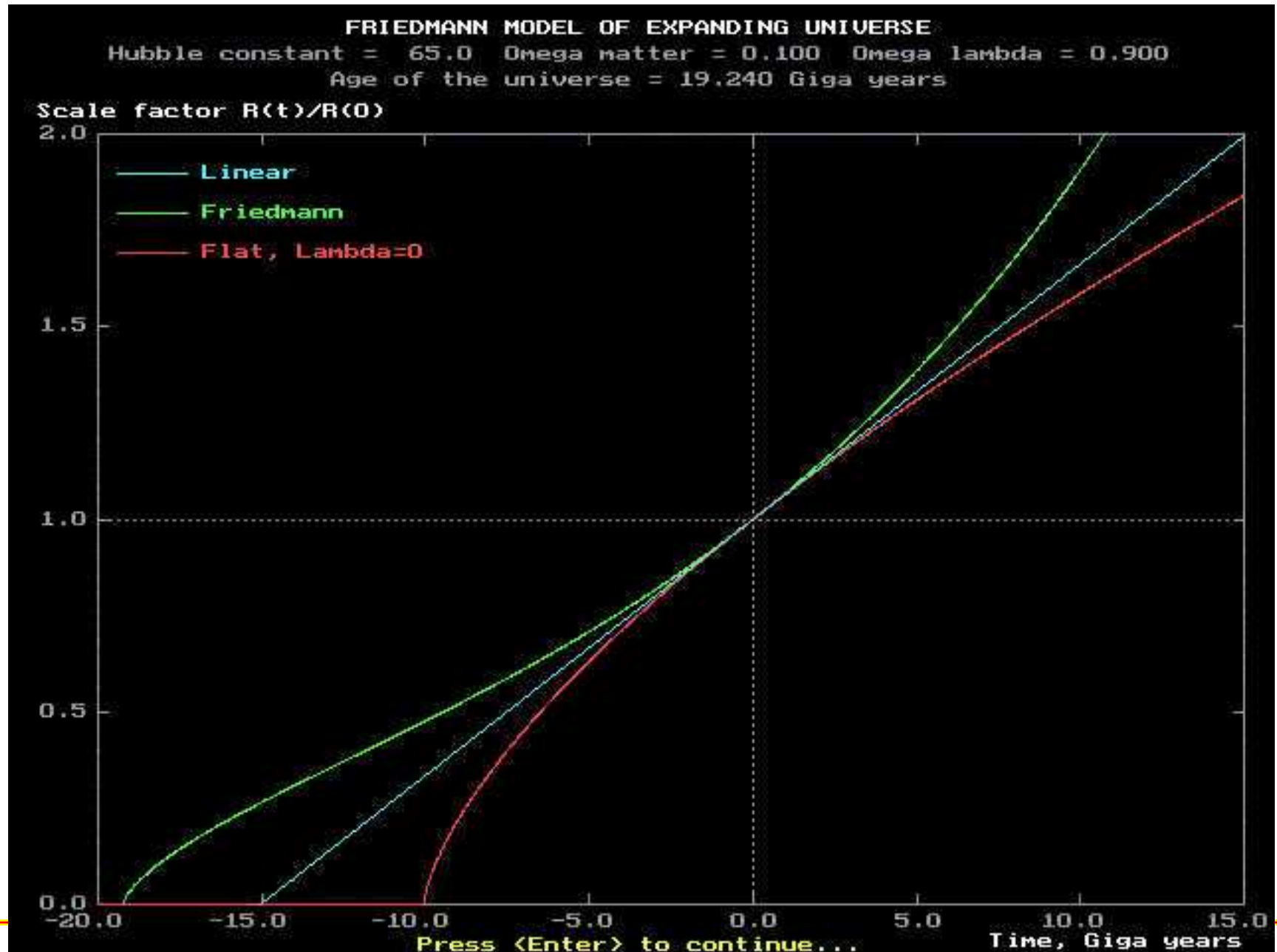
Ответ до сих пор не известен!

## Как её нашли?

# Scale factor $\Omega = 1$ , $\Omega = 2$



# Scale factor $\Omega_\Lambda = 0.9$ , $\Omega_m = 0.1$



# Deceleration or Acceleration

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We see that in case of the accelerating growth of the scale factor the objects in the past are more distant for **the same time difference**  $t_0 - t$ . I.e. they would appear **fainter** than in standard decelerating scenario with attractive gravity and no antigravity which may be due to the  $\Lambda$ -term or, say, to  $P = w\rho$  with  $w < 0$ .

However, the plots like above are not good to extract Omegas, since  $a(t)$  and  $t$  are not directly observable.

**Observables are redshifts and distances (the latter depend on a definition)**

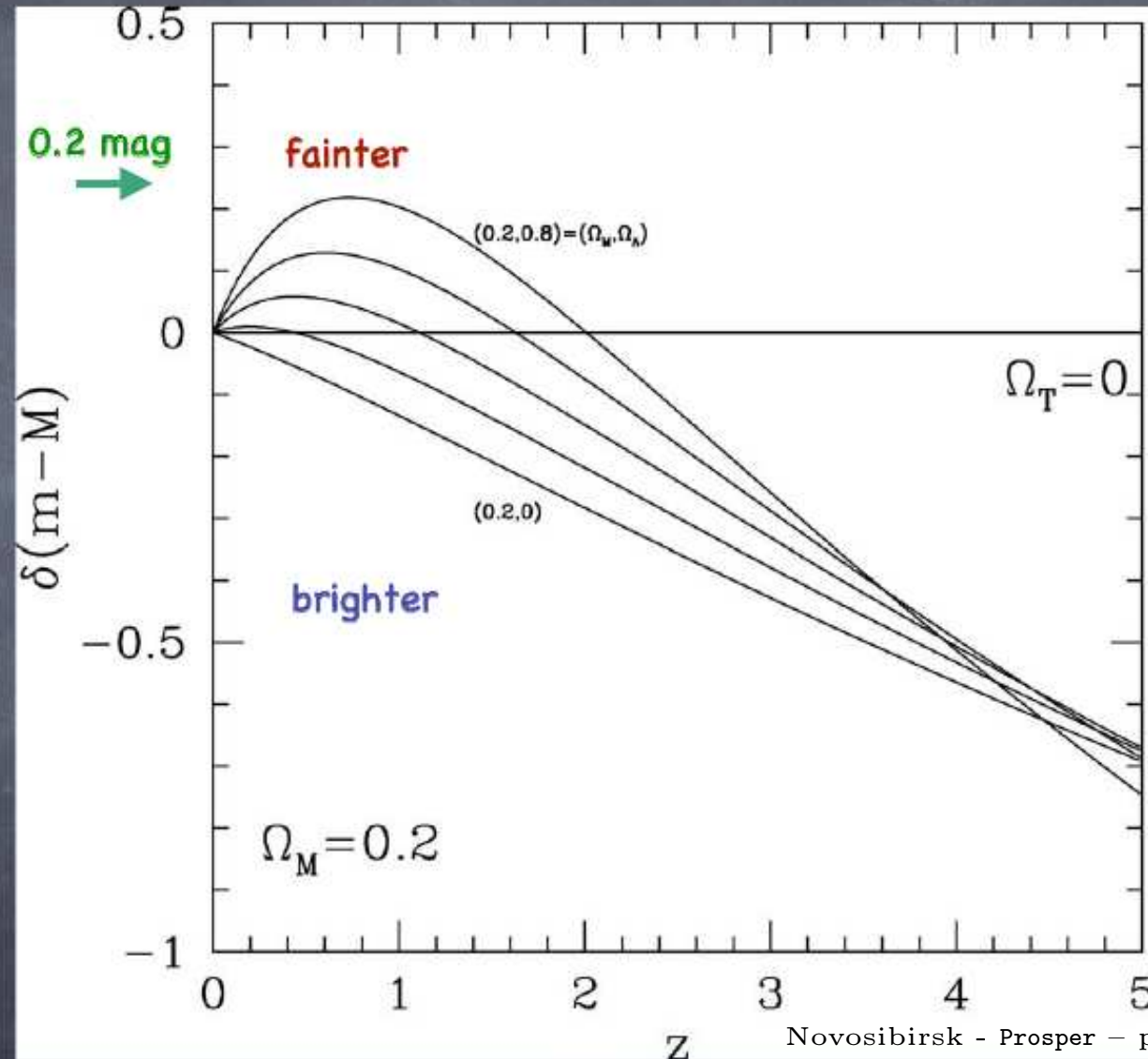


# Nick Suntzeff 1

## Distance Modulus $-1^{\text{st}}$ order effect

Peak effect for L is at about  $z \sim 0.8$ .

We are looking for about a 0.20m effect.



# Driving force for Acceleration?

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В слабых полях и при малых скоростях уравнения ОТО сводятся к Ньютону.

$M = 4\pi\rho R^3/3$ , and Newton's laws give us the energy conservation:

$$\frac{u^2}{2} = \frac{G_N M}{R} - \text{const},$$

If  $\rho \propto 1/a^3 \propto M/R^3$ , i.e.  $M = \text{const}$ , then  $\dot{a} = u$  goes down (e.g. ordinary matter or CDM), – **decelerating**.

If  $\rho$  has a slowly changing or a constant component ( $M$  grows!), then  $\dot{a}$  grows, – **accelerating**. E.g. for

$\rho = \rho_\Lambda = \text{const}$ :

$$\dot{a}/a \rightarrow \text{const}.$$

# Vacuum energy

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Introducing energy into the vacuum is equivalent to introducing a cosmological constant  $\Lambda$  into Einstein's equations. The vacuum energy has the form of a perfect fluid with

$$\mathcal{E} = \frac{c^4 \Lambda}{8\pi G} .$$

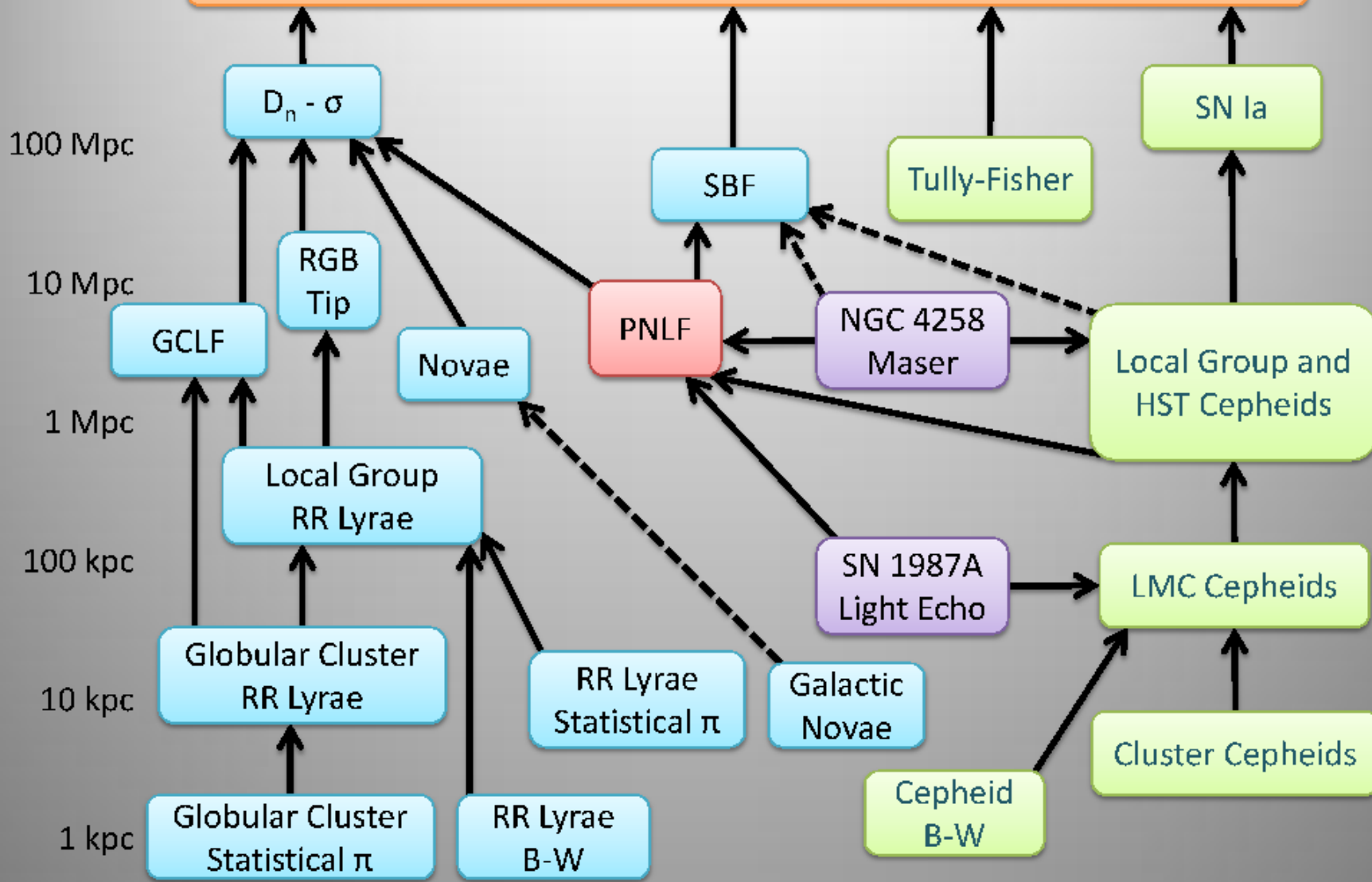
Ho

$$dE + PdV = d(\mathcal{E}V) + PdV = 0, \quad \Rightarrow PdV = -\mathcal{E}dV.$$

We immediately get  $P = -\mathcal{E}$ , and the energy density is independent of  $a$ , which is what we would expect for the energy density of the vacuum.

# Extragalactic Distance Ladder

The Hubble Constant



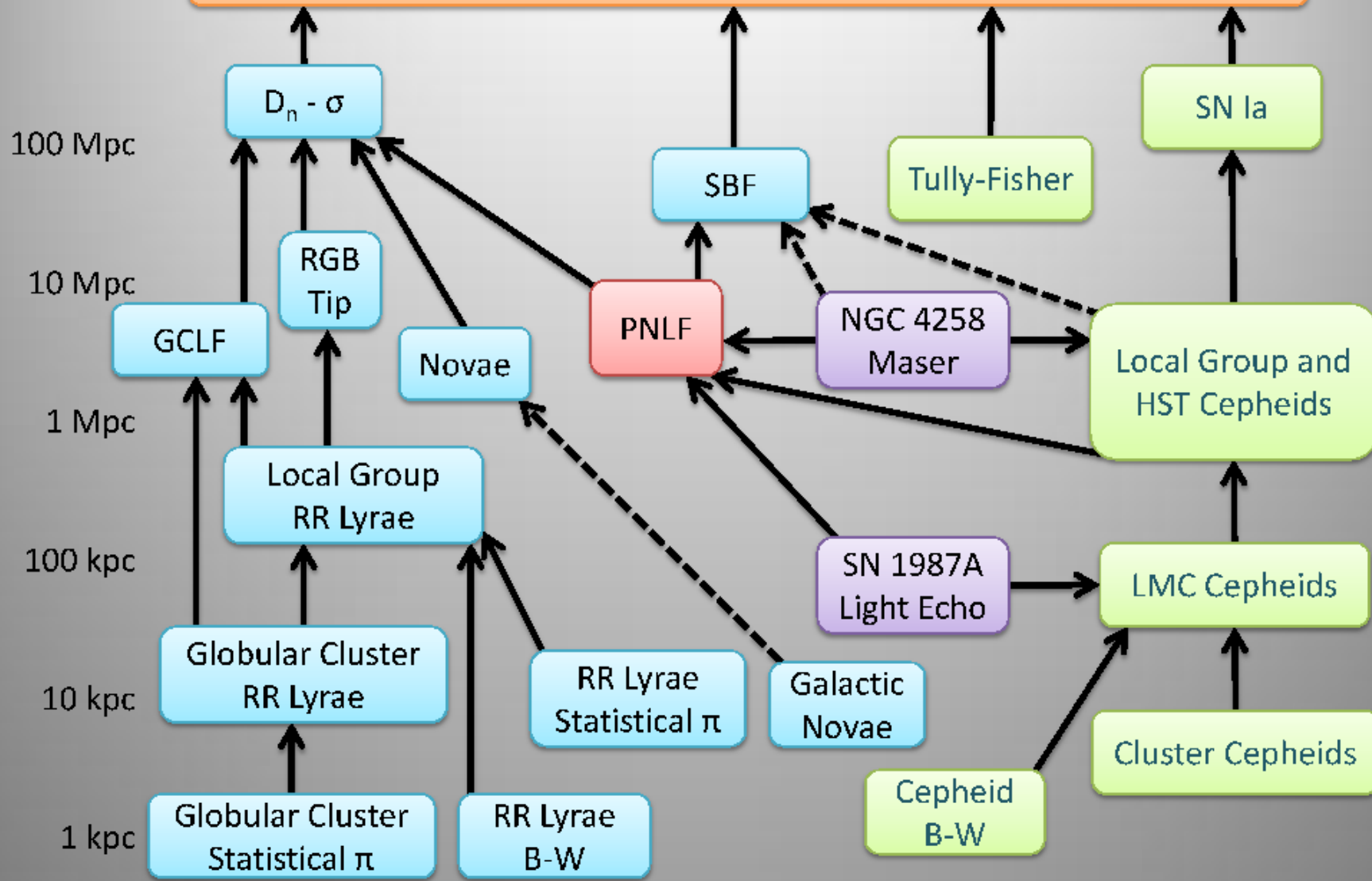
# SN 2006X in M100 in Virgo Cluster

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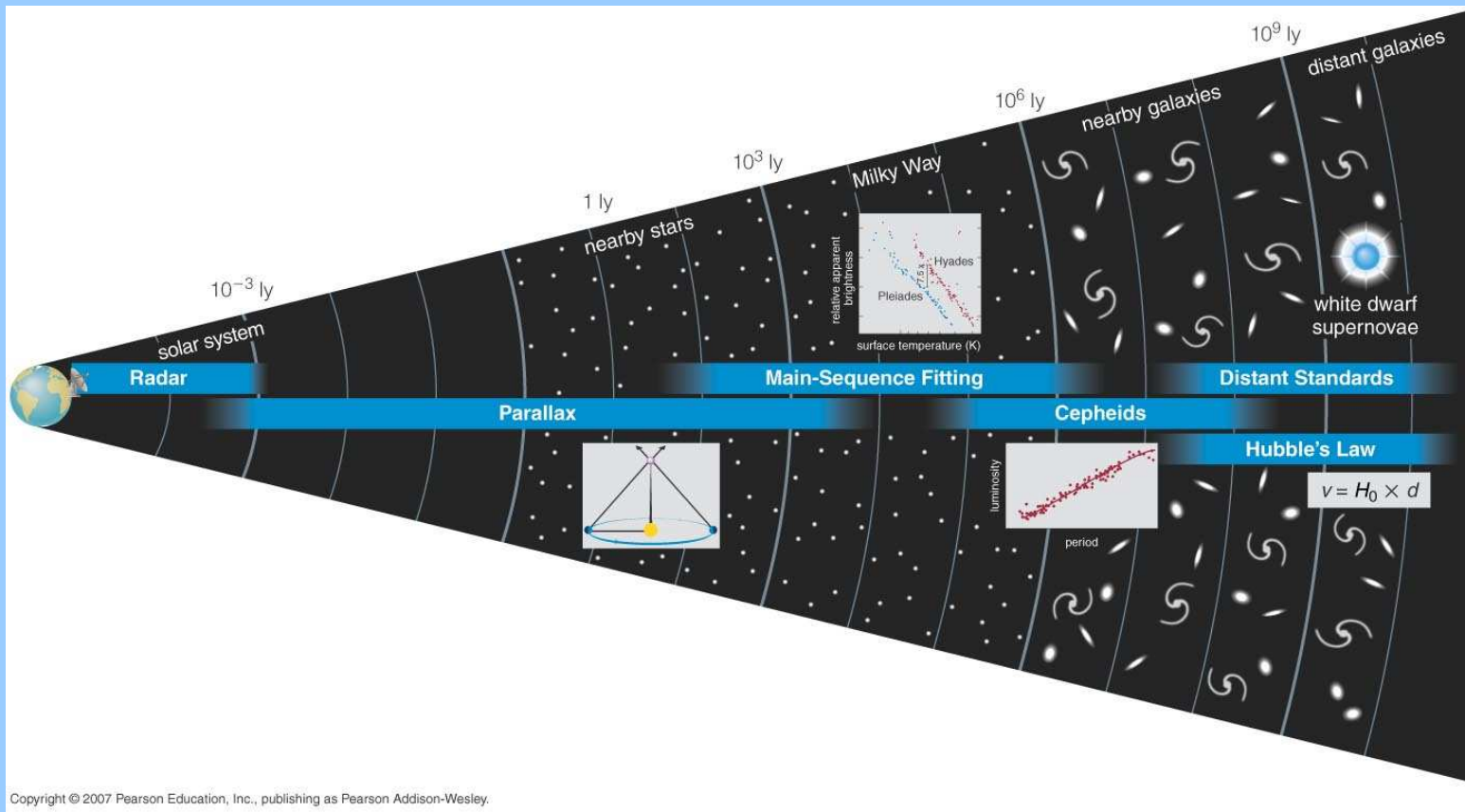


# Extragalactic Distance Ladder

The Hubble Constant



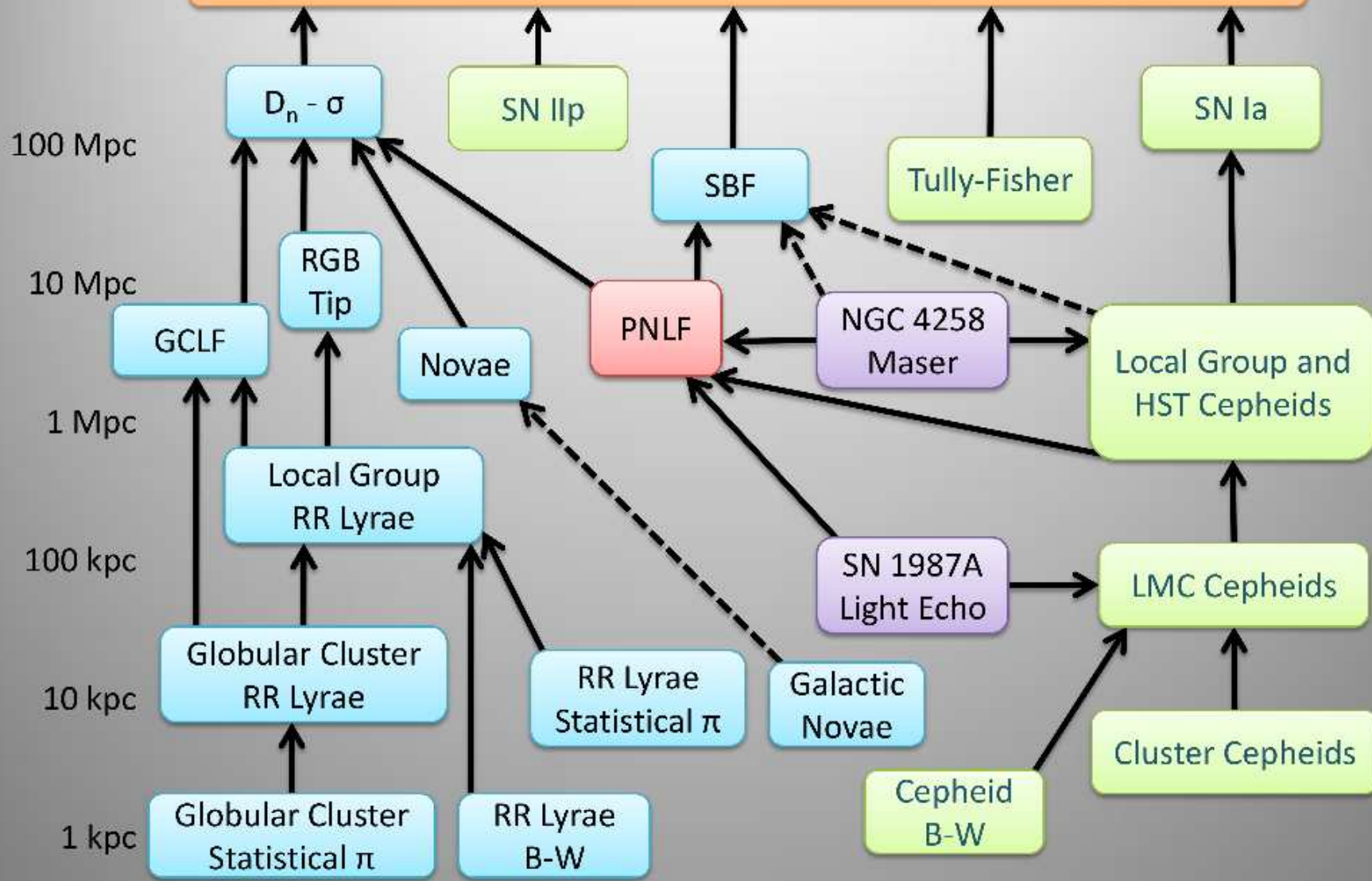
# Distance Ladder Cone





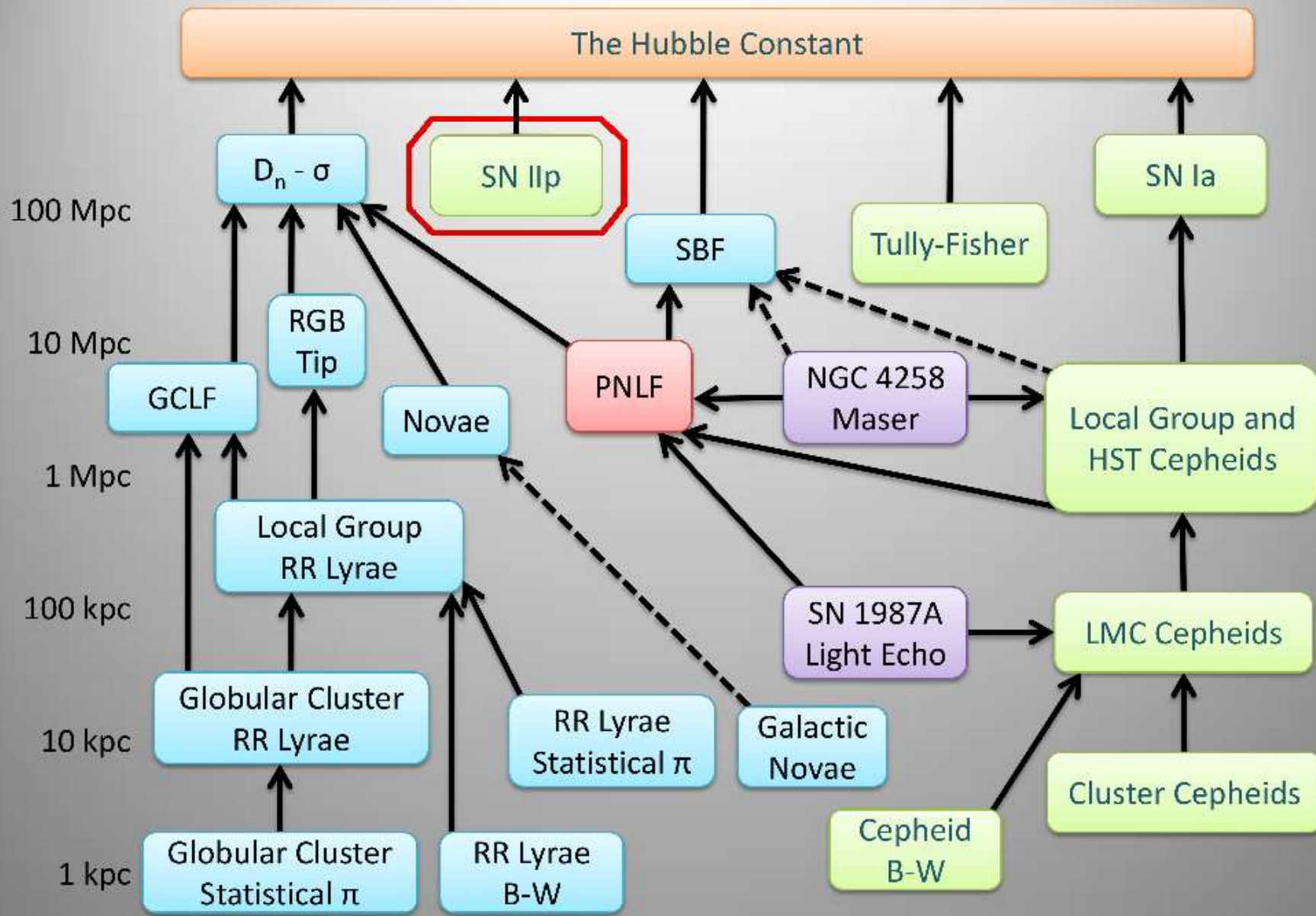
# Extragalactic Distance Ladder

The Hubble Constant



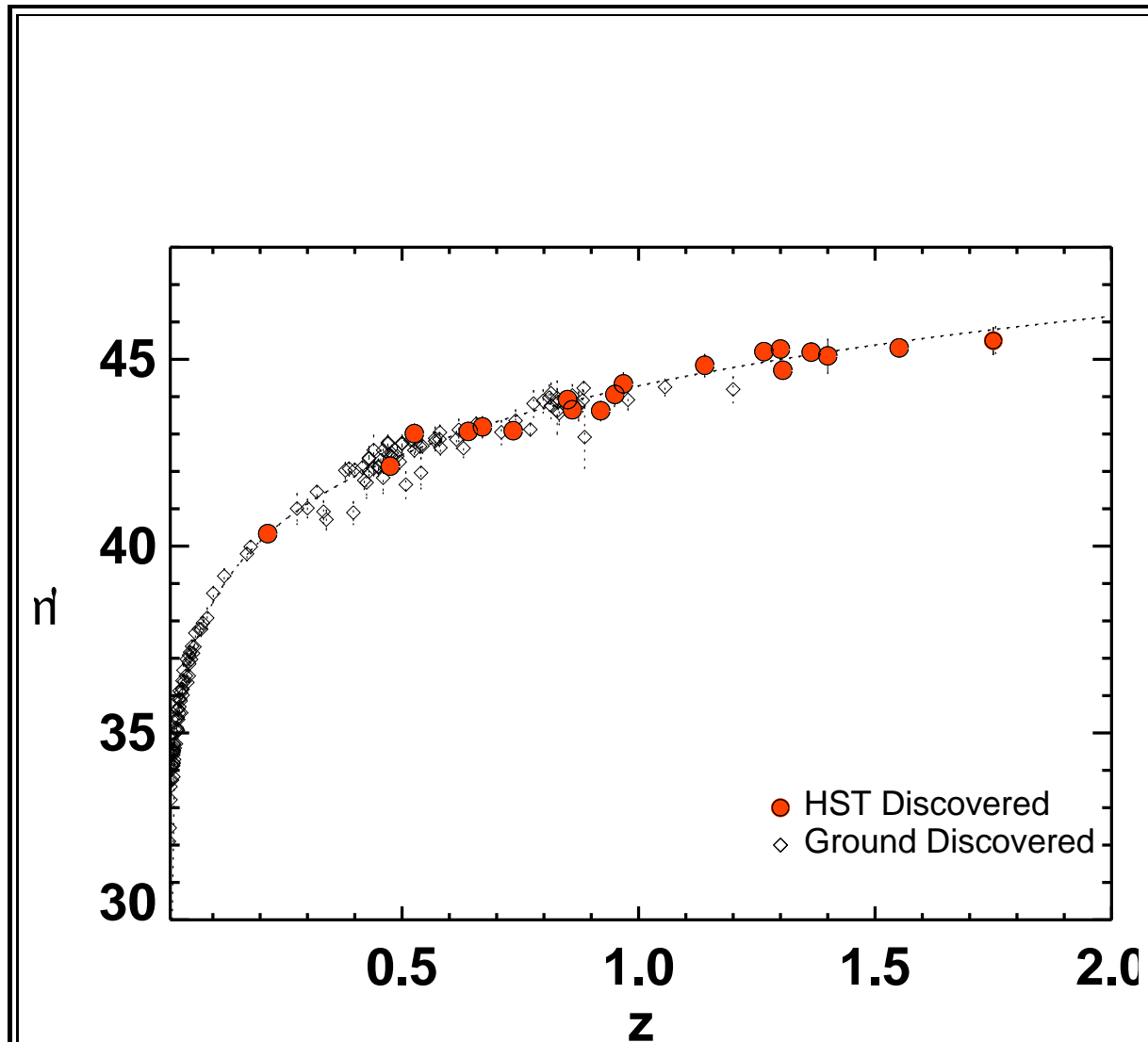


# Extragalactic Distance Ladder

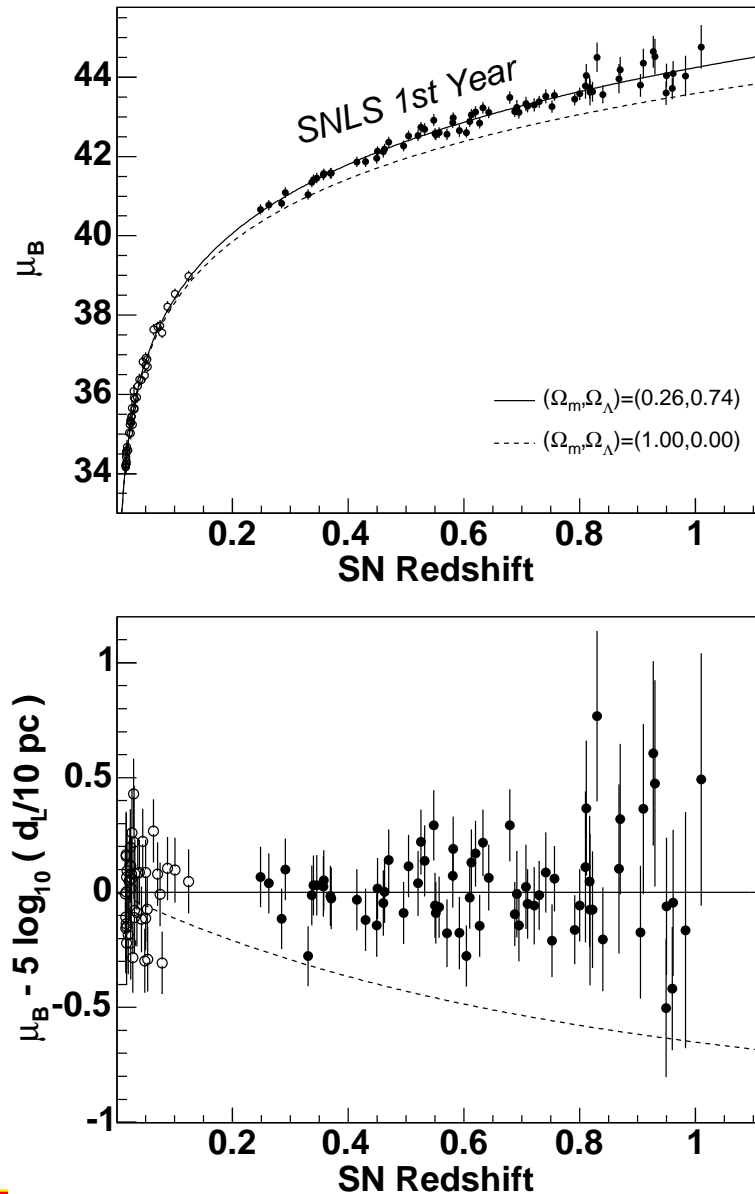


# Hubble diagram, Feb 2004

for SN Ia (A.Riess et al.)

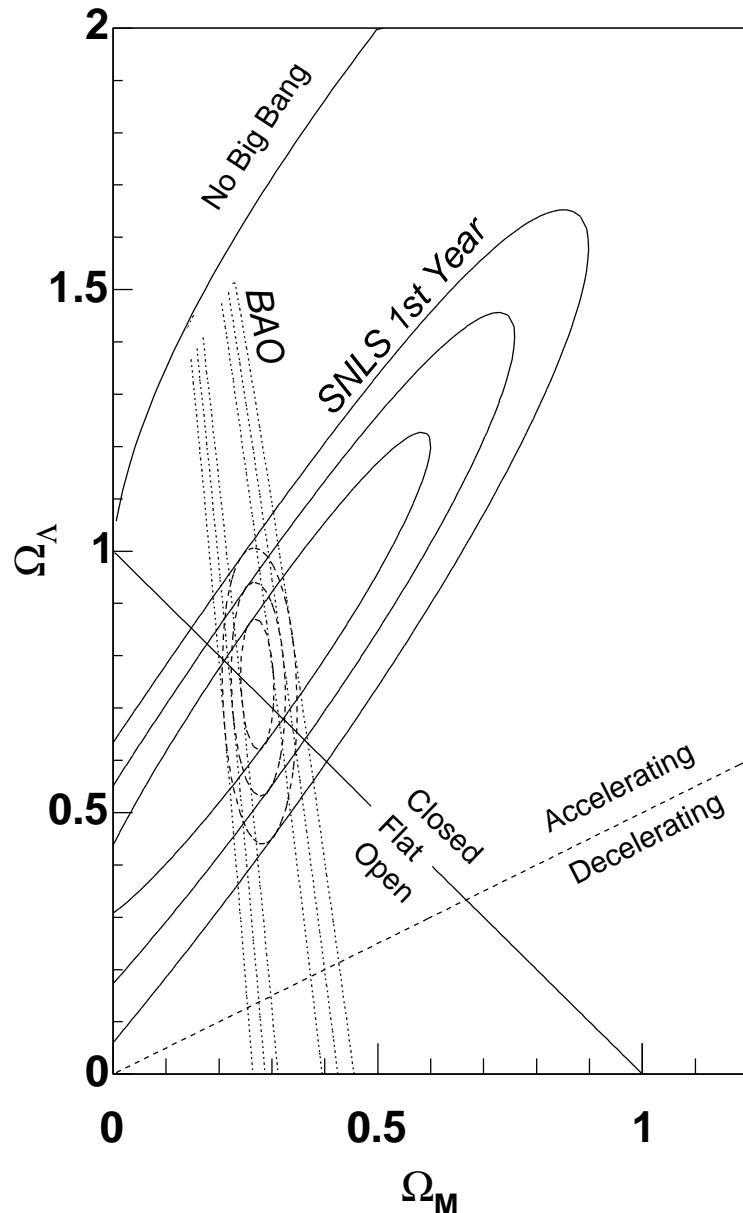


# Hubble diagram SNLS



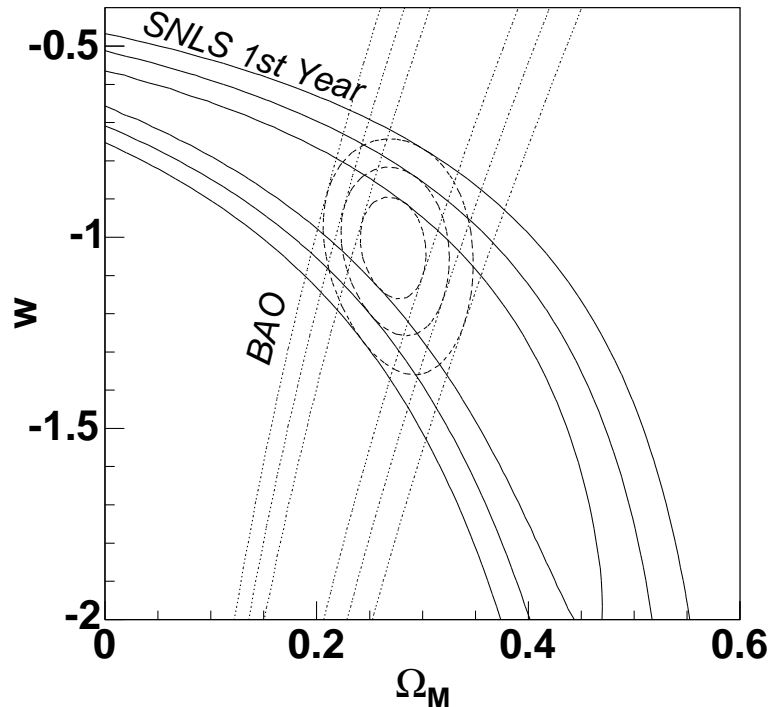
The bottom plot shows the residuals for  $\mu_B$  when  $d_{\text{ph}}(z)$  is for the best fit flat  $\Lambda$ -cosmology ( $\Omega_M = 0.26$ ,  $\Omega_\Lambda = 0.74$ ). Dashed line is for the flat zero  $\Lambda$  model. Adopted with corrections from (Astier et al., 2006).

# $(\Omega_m, \Omega_\Lambda)$ cosmology, SNLS



68.3%, 95.5% and 99.7% confidence levels for the **SNLS** Hubble diagram (solid contours), the **SDSS** baryon acoustic oscillations (Eisenstein et al. 2005, dotted lines), and the joint confidence contours (dashed lines). (Astier et al., 2006).

# $(\Omega_m, w)$ cosmology



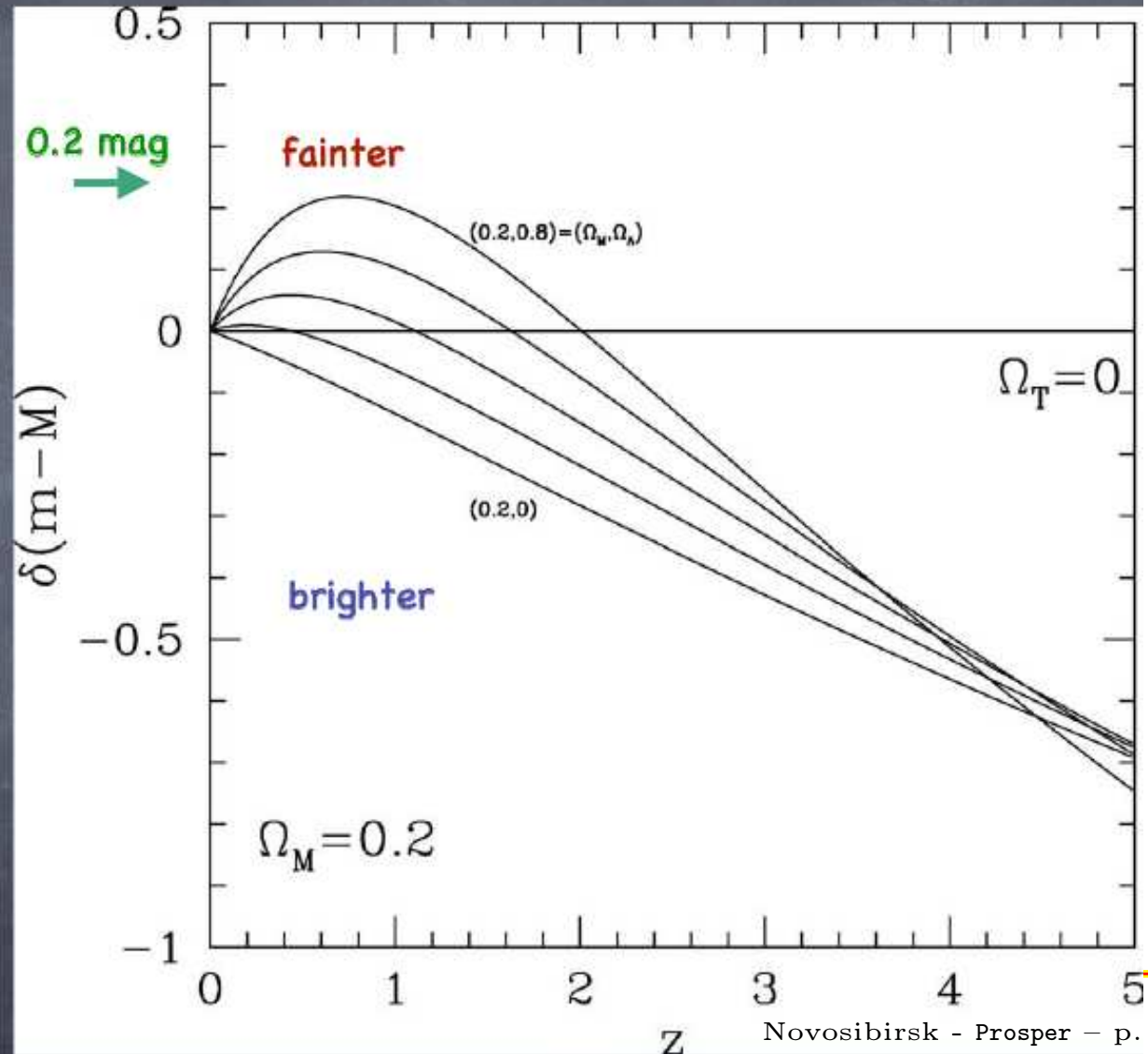
Contours at 68.3%, 95.5% and 99.7% confidence levels for the fit to cosmology with equation of state  $P = w\mathcal{E}$  for flat 3D space, from the **SNLS** Hubble diagram alone, from the **SDSS** baryon acoustic oscillations alone (Eisenstein et al. 2005), and the joint confidence contours. From (Astier et al., 2006).

# Nick Suntzeff 1

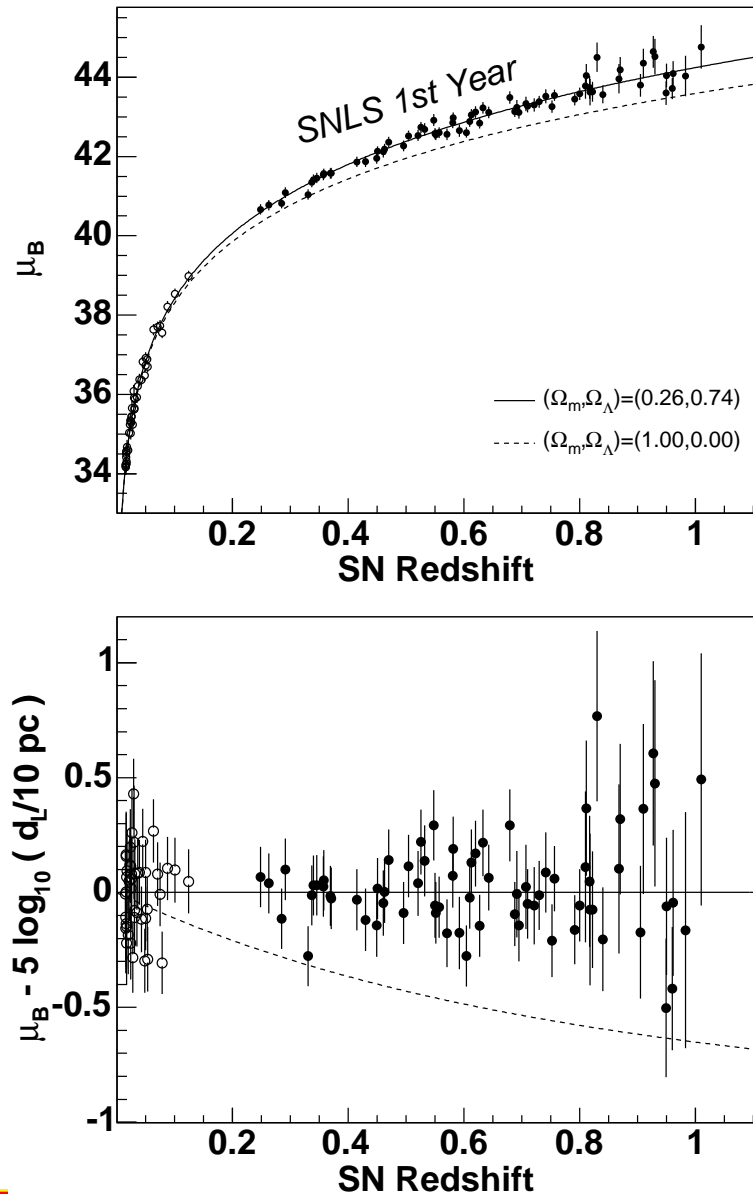
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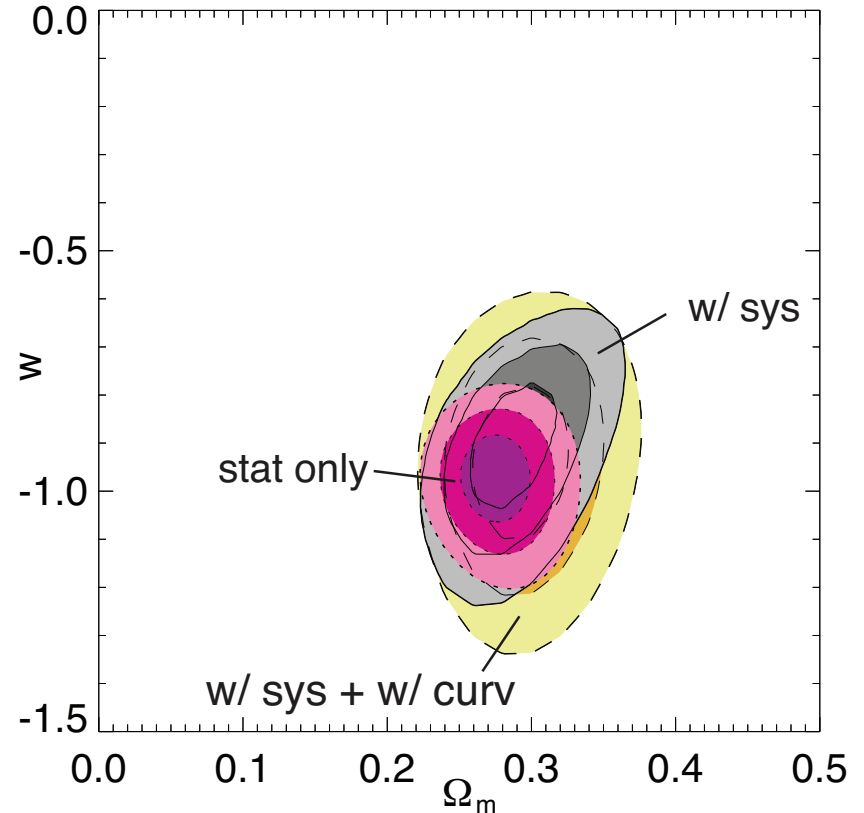
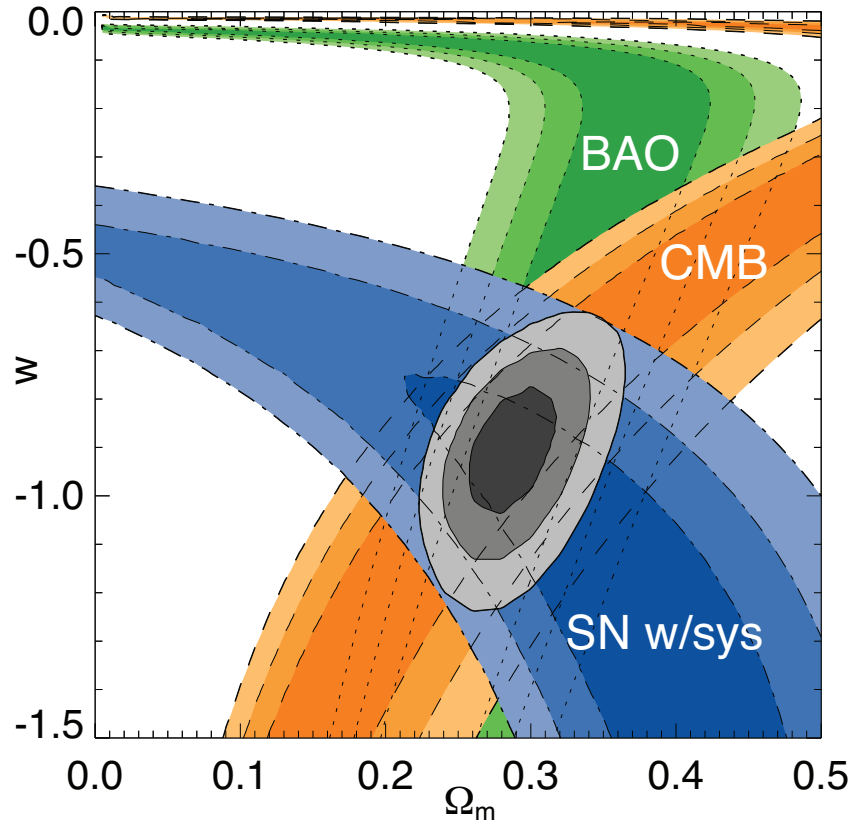
We are looking for about a 0.20m effect.



# Hubble diagram SNLS



The bottom plot shows the residuals for  $\mu_B$  when  $d_{\text{ph}}(z)$  is for the best fit flat  $\Lambda$ -cosmology ( $\Omega_M = 0.26$ ,  $\Omega_\Lambda = 0.74$ ). Dashed line is for the flat zero  $\Lambda$  model. Adopted with corrections from (Astier et al., 2006).



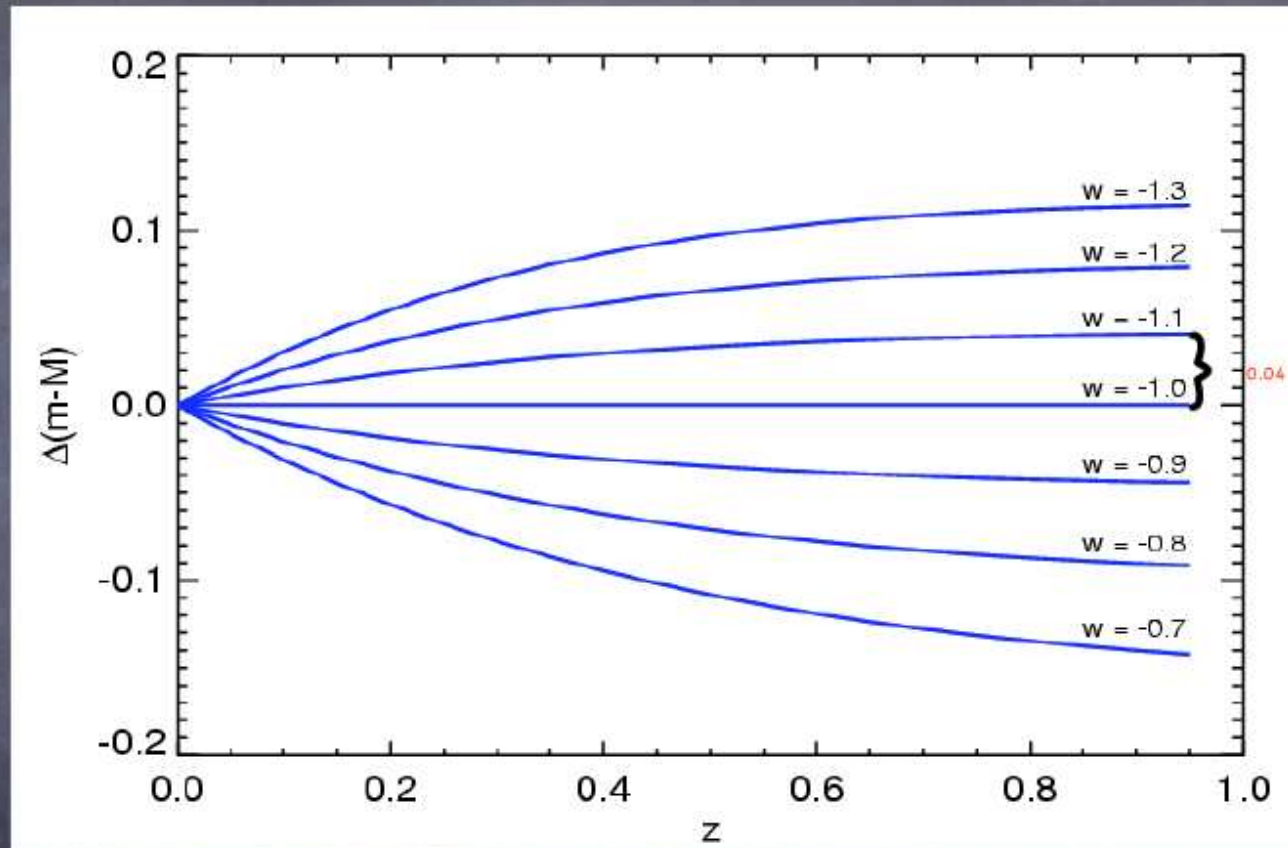
68.3%, 95.4%, and 99.7% conf. levels on a constant EOS  $w$  and  $\Omega_m$  for the individual and combined data sets. The left panel shows individual and combined probes in the flat universe case; the right panel repeats the combined systematics contour, and also compares to the statistical only contour, and to the systematics contour when simultaneously fitting for spatial curvature.



# Nick Suntzeff 2

## Equation-of-State Signal - 2<sup>nd</sup> order effect

Assume  
 $\rho = w\rho/c^2$



Difference in apparent SN brightness vs.  $z$   
 $\Omega_{\Lambda}=0.70$ , flat cosmology

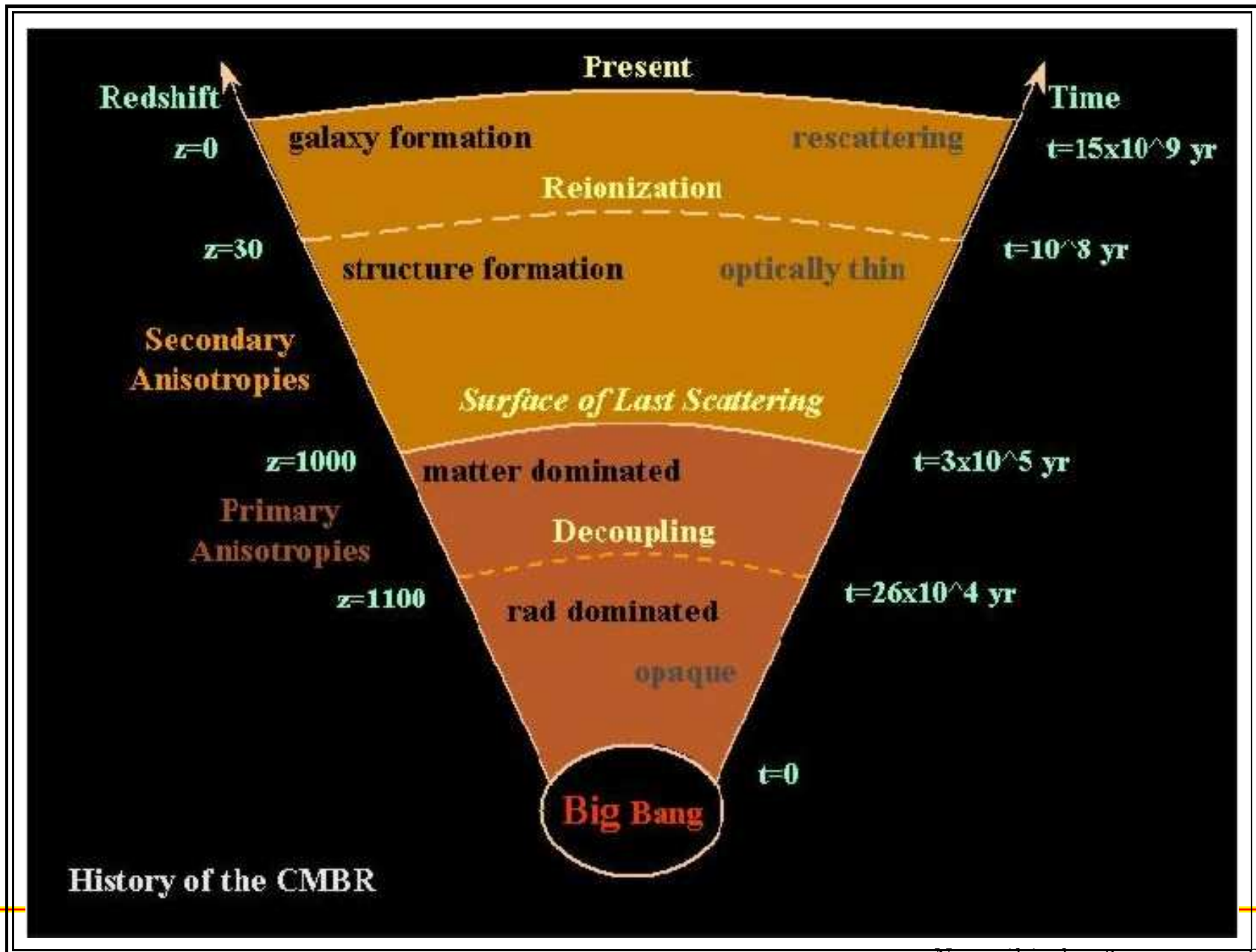
# Nick Suntzeff 3

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3<sup>rd</sup> order:  $dw/da$  or  $dw/dt$ ?

- Forget it!

# Surface of Last Scattering



# Dark Matter and Dark Energy pie

